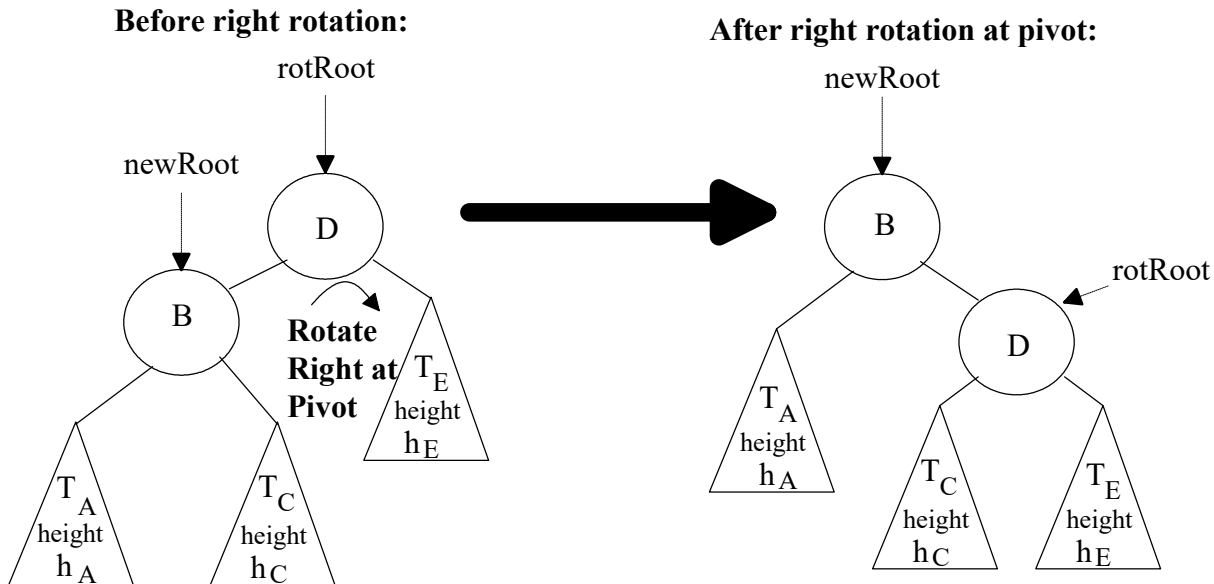


Objectives: You will gain experience with AVL put implementation

To start the lab: Download and unzip the file: <http://www.cs.uni.edu/~fienup/cs1520s19/labs/lab10.zip>

Part A: In [lecture 23](#) we discussed the AVL tree `rotateLeft` method. For this lab you need to implement the `rotateRight` method. The `rotateRight` method has two parts:

- updating the “pointers” to the nodes to do the rotation (look at the `rotateLeft` method code)
- updating the balanceFactors for the `rotRoot` and `newRoot` nodes (you need to use math similar to [lecture 23](#))
(See below too)



Consider the balance factor formulas for `rotateRight`. We know from the above diagram:

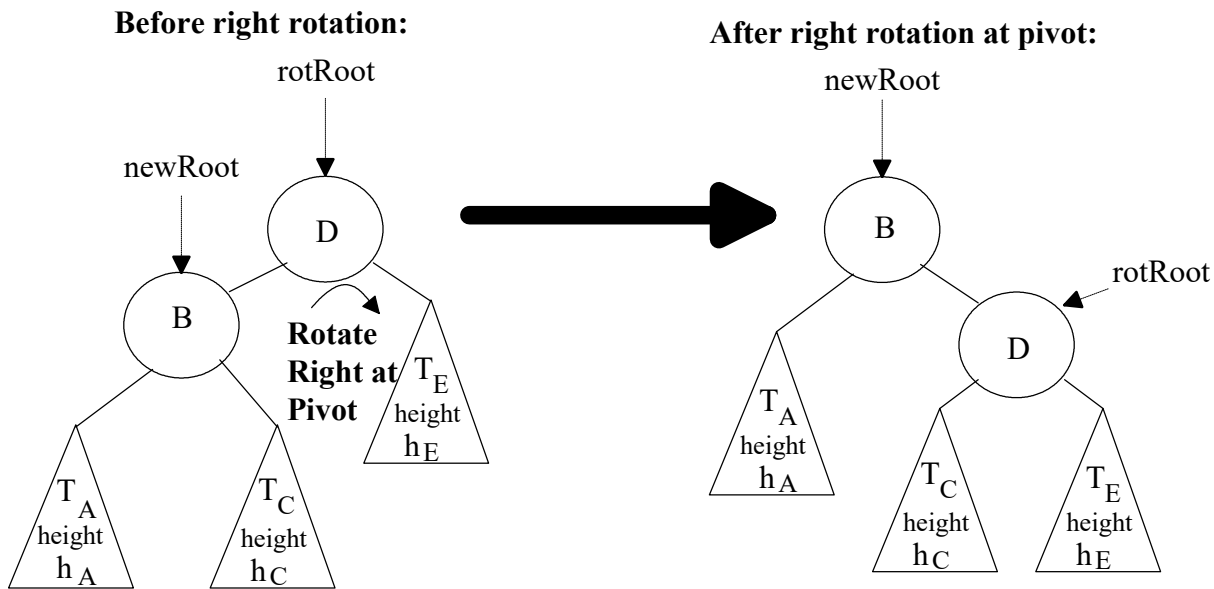
$$\text{oldBal}(B) = h_A - h_C \quad \text{and} \quad \text{newBal}(B) = h_A - (1 + \max(h_C, h_E)) \quad \text{and}$$

$$\text{oldBal}(D) = (1 + \max(h_A, h_C)) - h_E \quad \text{and} \quad \text{newBal}(D) = h_C - h_E$$

To determine $\text{newBal}(D)$, consider:

$$\text{newBal}(D) - \text{oldBal}(D) =$$

(See back for $\text{newBal}(B)$ calculation)



Consider the balance factor formulas for `rotateRight`. We know from the above diagram:

$$\text{oldBal}(B) = h_A - h_C \quad \text{and} \quad \text{newBal}(B) = h_A - (1 + \max(h_C, h_E))$$

$$\text{oldBal}(D) = (1 + \max(h_A, h_C)) - h_E \quad \text{and} \quad \text{newBal}(D) = h_C - h_E$$

To determine $\text{newBal}(B)$, consider:

$$\text{newBal}(B) - \text{oldBal}(B) =$$

After completing your implementation of `rotateRight`, test your code by running the `avl_tree.py` program. Once you think it is working, run the `timeAVLTree.py` program. The height of AVL tree after adding in sorted order should be 13, and the height of AVL tree after adding in shuffled order should be about 15.

When it is working, raise your hand and we will check you off.

(If you have extra time, consider working on previous labs or homeworks.)