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TO trigonometryTurtles
ca
cro 12
ask turtles
[
  set color black
  pd
  fd 10
]

```

END  $\frac{360^\circ}{12 \text{ turtles}} = 30^\circ \text{ per turtle}$

1. What is the **heading** of the highlighted turtle above? Show how you arrived at this.
2. What is the **xcor** of the highlighted turtle that is being "watched" above? Carefully show all your work, illustrated with a picture/diagram and explain your reasoning and any trigonometry you used.

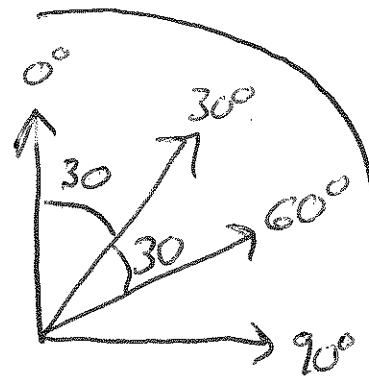
3. What is the **ycor** of the highlighted turtle in the watch circle? Show your work, illustrate your strategy with a diagram and explain your reasoning, as above.

watch-me

who	2	WHO = 2
color	0	
heading		heading
xcor		xcor
ycor		ycor
shape	"default"	
label	"	
label-color	9.9	
breed	turtles	
hidden?	false	
size	1	
pen-size	1	

4. For the turtle with who number 1, the turtle immediately to the left of turtle 2 here as you go counterclockwise, explain why you already have found the answer as to its (xcor, ycor) values in the turtle grid.

①



Cr0 12 means  
 $\frac{360}{12} = 30^\circ$  per turtle

Turtle has heading of  $90^\circ - 30 = 60^\circ$

$$\frac{360^\circ}{12 \text{ turtles}} = 30^\circ \text{ per turtle}$$

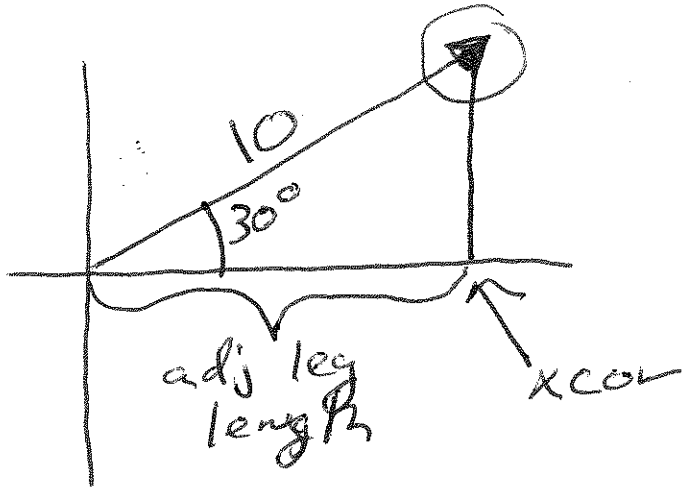
30 degrees/slice

On, turtle with who # 2 has heading of

$$2 * \frac{360}{12} = 2 * 30 = \textcircled{60^\circ}$$

②

The xcor is same as the <sup>length of</sup> adjacent leg, since turtles start at (0,0).



We know (are given)  
 hyp length = 10  
 angle = 30°

Goal, need to find the result desired -  
 xcor ← unknown

WHAT is the problem?

hyp 10  
 30° angle

①

xcor  
 (length of side adj to 30° angle)

②

Determine this from these given facts

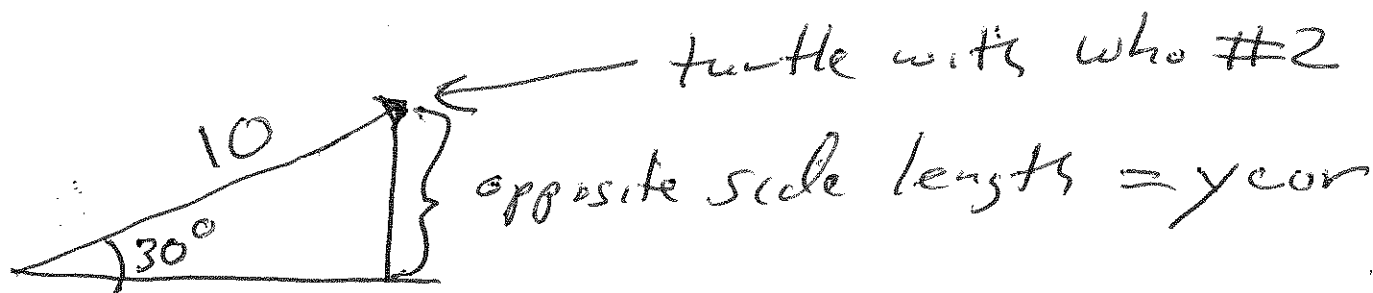
CAH is HOW to get the problem solved -

$$\cos(30^\circ) = \frac{\text{adjacent}}{\text{hypotenuse}} = \frac{x \text{ cor}}{10}$$

$$\cos(30^\circ) = \frac{x \text{ cor}}{10}$$

$$10 * \cos(30^\circ) = x \text{ cor}$$

③



SOH  $\sin(30^\circ) = \frac{\text{opp}}{\text{hyp}}$

$$\sin(30^\circ) = \frac{y \text{ cor}}{10}$$

$$10 * \sin(30^\circ) = y \text{ cor}$$

④

